Does the threat of overthrow discipline the elites? Evidence from a laboratory experiment

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Abstract. The threat of revolution disciplines the elites, inducing them to strategically share some of their wealth in order to prevent social unrest. This behavioral conjecture is prominently used to explain franchise extension and welfare state expansion. We test this conjecture in a controlled laboratory experiment. We model a society whose members can produce wealth by coordinating conflicting interests. Coordination is facilitated through a status-ranking. Compliance with the ranking yields an efficient yet inequitable payoff distribution. Between treatments, we vary (a) whether overthrows – which reset the status-ranking via collective disobedience – are possible or not, and (b) whether voluntary redistributive transfers – which high-status players can use to appease low-status players – are available or not. In contrast to established thinking, we find that, on average, the threat of being overthrown does not lead to more wealth-sharing as high-status players fail to provide sufficient redistribution to prevent overthrows.

Keywords: redistribution; franchise extension; revolution; elite behavior; coordination; battle of the sexes; experiment.

JEL codes: C72, C92, D74, H23, P48.

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1 Introduction

Historically, wealth and power have been distributed unequally (Scheidel 2017). At different times, inequality has fueled social unrest among the disadvantaged, and ultimately revolutions (Muller and Seligson 1987; Goldstone 2016). Facing the threat of being overthrown, elites may try to accommodate demands for redistribution while maintaining the bulk of their privileges. This ‘threat of revolution hypothesis’ has been prominently used in the social sciences to explain the extension of the franchise and the expansion of the welfare state (Acemoglu and Robinson 2000; Boix 2003; Acemoglu and Robinson 2006; Kim 2007; Burke and Leigh 2010; Brückner and Ciccone 2011; Chaney 2013; Aidt and Jensen 2014; Aidt and Franck 2015; Dasgupta and Ziblatt 2015; Aidt and Leon 2016). Yet, despite being highly intuitive, the ‘threat of revolution hypothesis’ is not beyond doubt (Aidt et al. 2015): First, in historical data only real events of social unrest are typically observable, while the latent threat of revolution is much harder to observe. Second, even if instances of social unrest are observable, identifying the social unrest as the cause of a change in elites’ behavior is notoriously difficult. Potentially, social unrest could be more likely in a political climate already open toward democratic ideas, or with a franchise extension at the horizon. Third, many instances of constitutional reform have happened without revolutionary pressure (Congleton 2010).

This paper complements and contrasts current historical research with a novel laboratory experiment. In particular, we examine key behavioral conjectures underlying the ‘threat of revolution hypothesis’: that elites are sensitive to the threat of social unrest, that they react to it by sharing their wealth, and that their observed generosity is motivated by their interest in maintaining their privileges. Our experimental framework models a society in which players can produce wealth by successfully coordinating conflicting interests. Coordination is facilitated through a status order, which ranks each player according to a pre-game lottery. Compliance with the status-ranking yields an efficient yet inequitable distribution of payoffs. To test the effects of the threat of overthrow on elite behavior, we vary between treatments (a) whether overthrows – which reset the status-ranking via collective disobedience – are possible or not, and (b) whether voluntary redistributive transfers – which high-status players can use to appease the low-status players – are available or not.

The threat of overthrow is modeled via the possibility to reset the status-ranking through collective disobedience. If, in a given period, the status order is disregarded by a critical mass of society, ranks are allotted anew. After the re-allotment, low-status players may find themselves in the positions of former high-status players, and vice-versa. To trigger an overthrow, players must coordinate on collectively disobeying the prevalent status order, which requires both persistence and the willingness to forfeit monetary payoffs, most likely repeatedly. On our second treatment dimension, we allow high-status players to voluntarily transfer parts of their wealth to low-status players. A credible threat of overthrow should motivate high-status players to be more generous with
their transfers in order to prevent the overthrow from happening, thereby generating more voluntary compliance with the prevalent social order. For the reduction of economic disparities, voluntary redistribution can be regarded as a – more efficient – substitute to overthrows. For generating economic surplus, redistribution and the threat of overthrow may actually complement one another. In light of a potential overthrow, adequate redistribution might serve to preserve both, elite privileges and overall wealth.

In contrast to established thinking, we find that, on average, the threat of overthrow does not lead to more wealth-sharing. Strikingly, higher ranks’ willingness to make redistributive transfers does not increase in the presence of a credible overthrow threat. As a consequence, overthrows happen frequently and act as a highly inefficient equalizer. In most experimental groups, high-status players do not react sufficiently to the threat of overthrow. As overthrows happen, these players lose their high status as ranks are reset, and suffer a substantial – and preventable – drop in earnings. Some groups, however, experience overthrows only in the first half of the experiment, and become perfectly stable in second half. In these stable groups, early overthrows put, eventually, more generous players into high-status positions. By sharing a larger part of their wealth through voluntary redistribution, these players manage to sustain their status. Both low ranks and high ranks earn significantly higher payoffs in the stable groups compared to the unstable groups.

In our experiment, overthrows are not just theoretically possible, they happen repeatedly. In addition, being generous pays off for the elites. And yet, our data suggests that the higher transfers in the stable groups are not the result of successful observational learning from the mistakes of earlier (overthrown) high ranks. Instead, groups stabilize and prosper when an overthrow eventually thrusts intrinsically generous players into high-status positions. The high-status players of the stable groups were already generous before they became high-status players. Their generosity correlates with higher levels of trust towards strangers as measured in our post-experimental tests.

In sum, while we do not find evidence supporting the notion that the threat of overthrow leads to more wealth-sharing, we do find that overthrows can function as a selection mechanism. In the absence of coercive means to protect their privilege, only sufficiently generous elites manage to remain in place. Our results challenge the notion that elites engage in strategic wealth-sharing, and instead point towards mechanisms of elite exchange, and democratization processes in general, as drivers of wealth-sharing.

The remainder of the paper is structured as follows. Section 2 illustrates this paper’s contribution to different strands of literature. Section 3 details our experimental design and our modeling choices. Section 4 presents our hypotheses. We present our experimental results in Section 5, and discuss them in Section 6.
2 Related Literature

Threat of Revolution. In the “the long nineteenth century” (Hobsbawm 1987), Europe witnessed a significant democratization process, i.e. the extension of the franchise, as well as the emergence of the welfare-state (Evans 2016). Both developments rest on significant concessions by the elites. What exactly motivated these concessions has been a prominent topic of investigation in the social sciences.

Typically, the historic emergence of the welfare state is understood as a reaction to the popularity of socialist movements (Evans 2016, p. 553). Sociological analysis sees the welfare-state as an instrument to “regulate the poor” (Cloward and Piven 1971). This perspective is taken up in the economic literature, according to which redistributive policies are put in place by the rich to prevent revolutionary action and extralegal appropriation by the poor (Grossman 1995). Acemoglu and Robinson (2000) apply the ‘threat of revolution hypothesis’ to democratization. Their main example is Britain which substantially extended the franchise with parliamentary Reform Acts in 1832, 1867, and 1884. These extensions led to reforms in the areas of taxation and education, and to a reduction of inequality through redistribution. As Acemoglu and Robinson (2000, p. 1183) emphasize, each franchise extension was preceded by social unrest including riots. Similar patterns are observable in France, Sweden, and – to a lesser extent – Germany.¹

Using a panel of twelve countries, Aidt and Jensen (2014) find that the first wave of democratization in Europe, between 1820 and 1938, can be understood as a reaction to the threat of revolution, as there is a relationship between revolutionary events in neighboring countries and franchise reform. The relationship is stronger in cases in which countries are geographically or linguistically close to the center of the revolutionary event. Aidt and Franck (2015) find that the proximity of the so-called Swing Riots induced voters in Britain to elect reform-oriented politicians in 1831, facilitating the adoption of the Great Reform Act in 1832 by the British Parliament. Dasgupta and Ziblatt (2015) study British sovereign bond market responses to the Reform Acts of 1832, 1867 and 1884, as well as to two failed Chartist agitations for reform, finding that perceived political risk increased before the reform episodes, with the risk stemming from social unrest as well as political deadlock. Using a global, country-level dataset starting after World War I, Przeworski (2009, p. 303) reports a positive correlation between franchise extension and observable instances of social unrest. Using historical data on social insurance coverage from 12 European countries from 1880 to 1945, Kim (2007) finds that the expansion of social insurance is associated with democratization, which again is influenced by strikes, thus linking the ‘threat of revolution hypothesis’ to the expansion of the welfare state. In accordance with the ‘threat of revolution hypothesis’, Burke and Leigh (2010), Brückner and Ciccone

¹ Germany presents itself as a slightly different case. Social unrest and a strong socialist movement provoked welfare reforms, but franchise extension was slow until the Weimar Republic of 1919. Acemoglu and Robinson (2000, p. 1184) argue that, in Germany, a franchise extension was not necessary to make a promise for future redistribution credible, as the threat of revolution was already tangible due to the strong socialist movement.
(2011) and Aidt and Leon (2016) find adverse weather shocks to be triggers of democratic change. As the shocks temporarily lower citizens’ opportunity cost of contesting power, they open a window for democratic change.

Notwithstanding its prominence, the ‘threat of revolution hypothesis’ is not beyond doubt. Congleton (2010, p. 15) points out that most constitutional reforms in Europe happened incrementally through “formal and informal bargains over constitutional details” and were not always preceded by large-scale revolts. Lizzeri and Persico (2004) suggest that the elites extended the franchise in order to create institutions that were less prone to clientelism and patronage. Indeed, causal claims about the ‘threat of revolution’ are notoriously difficult (Aidt et al. 2015). In historical data, only real events of social unrest are clearly observable, while the threat of revolution is much harder to observe. And while instances of social unrest might be observable, it cannot be said with certainty whether they cause franchise extension. Not only could there be different driving forces between unrest and franchise extension, it could even be that social unrest becomes more likely with a franchise extension at the horizon, or in a political climate with more openness to democratic ideas. This paper complements historical research with an experimental study on the behavioral mechanisms underlying the threat of revolution hypothesis.

Democratic Backsliding. Whether elites are sensitive to demands by non-elites does not only matter for constitutional reform. It also matters for the preservation of constitutional order. So-called ‘democratic backsliding’ is a pressing issue (Levitsky and Ziblatt 2018). Socio-economic inequality is growing (Sitaraman 2017; Dixon and Suk 2018; Levitsky and Ziblatt 2018; Khaitan 2019; Pistor 2019) and elites are not responsive to the preferences of the economically disadvantaged (Gilens 2012). This is problematic in case a political actor disregards, or transgresses constitutional provisions. The enforcement of a constitution is a problem of collective action (Hardin 1989; Weingast 1997; Bednar 2009, p. 170). Socio-economic inequality might reduce the disadvantaged citizens’ motivation to act and protect the constitutional order. Even worse, some citizens might see it in their interest to support a despotic transgressor Ryvkin and Semykina (2017). In short, a lack of wealth-sharing by the elites might lead to a lack of support of institutions.2

Endogenous Institutions. While we are mainly interested in the disciplining effect of the threat of overthrow, there could potentially be other effects. A range of experiments shows that an institution’s efficacy is increased if it was generated endogenously, typically through some form of voting mechanism which adds a ‘democratic dividend’ (Tyran and Feld 2006; Dal Bó, Foster, and Putterman 2010; Sutter, Haigner, and Kocher 2010; Markussen, Putterman, and Tyran 2014; Hauser et al. 2014; DeAngelo, Dubois, and Romaniuc 2020; Langenbach and Tausch 2019). The overthrow mechanism

2 Note that our model of a social hierarchy is not specific to constitutionalism but applies to any situation in which widespread adherence to a social order benefits the members of society to different degrees.
of our experiment could add such ‘democratic dividend’, as it enables players to affect the social ordering by recurrently reshuffling the ranks. Moreover, the mere option of overthrow might already cast a shadow of legitimacy on the status quo. Analytically, however, such a legitimizing effect of the overthrow mechanism is separate from a disciplining effect on elites. We account for this distinction in our research design by testing the threat of overthrow in two distinct environments: (i) In our baseline environment, elites have no means to react to the overthrow threat. Higher compliance with the status order in the presence of an overthrow threat would thus point toward a legitimizing effect. (ii) In our redistributive environment, elites can use voluntary transfers to increase the non-elite’s participation in the proceeds from a stable order. Higher compliance due to higher transfers would point toward a disciplining effect of the overthrow threat.

**Focality and Competing Interests.** Our experimental framework builds on the literature on coordination games and focal points (Schelling 1960). Mehta, Starmer, and Sugden (1994) and Bardsley et al. (2009) show how focal points are effective when players’ interests are perfectly aligned. However, Crawford, Gneezy, and Rottenstreich (2008) point out that the power of focality is considerably reduced when payoffs are minimally asymmetric. In cases of a pronounced payoff asymmetry – as in our experimental implementation – even explicit recommendations to play a specific equilibrium fail, which leads to substantial efficiency losses (Anbarci, Feltovich, and Gürdal 2018). As one would assume, this is due to the resistance of the players who are asked to play their less preferred equilibrium. The problem can be framed in terms of competing saliencies (Crawford, Gneezy, and Rottenstreich 2008, p. 1444). In our game, the salience of higher individual payoffs competes with the salience of the behavioral recommendations derived from the (hierarchical) social order.  

**Experimental Regime Change.** Our work relates to experimental research on regime change. Ryvkin and Semykina (2017) study a game where citizens can choose to replace a democratic regime with an autocrat. In the democratic regime, property rights are secure and redistribution requires a majority vote, while the autocrat promises full redistribution but can potentially expropriate the citizens. Subjects are more likely to voluntarily switch from democracy to autocracy when inequality is high. This resonates with the aforementioned intuition that inequality might have a destabilizing effect benefiting autocracy.

## 3 Experimental Design

We first present the general framework of our experimental design (3.1), followed by treatment variations (3.2) and experimental procedures (3.3).
### 3.1 General Framework

We model a society of $N$ strangers. Over numerous periods, members of this society make random bilateral, anonymous encounters, in which they are faced with a simple coordination problem. Coordination is successful and produces wealth if the two players who meet in the stage game agree on who \textit{claims} a coveted resource, and who \textit{concedes} it. The stage game is a \textit{Battle-of-the-Sexes (BoS)} as depicted in Figure 1. Due to $h > l > 0$, the game has two pure-strategy Nash equilibria, with each player preferring the equilibrium in which she claims and the other player concedes.

<table>
<thead>
<tr>
<th>player 2</th>
<th>player 1</th>
</tr>
</thead>
<tbody>
<tr>
<td>claim</td>
<td>0,0</td>
</tr>
<tr>
<td>concede</td>
<td>$hl$</td>
</tr>
<tr>
<td>concede</td>
<td>$lh$</td>
</tr>
<tr>
<td>claim</td>
<td>0,0</td>
</tr>
</tbody>
</table>

**Figure 1: Stage Game**

The two players who meet in a stage game can solve their coordination problem by following the recommendation of an exogenous coordination device. This mirrors the efficiency-enhancing effect of societal coordination through rules, e.g. rules over property. There is no means to exogenously enforce compliance with the rules of society; coordination relies on voluntary compliance. The coordination device is provided in the form of a status-ranking, mirroring a legal or social order that ranks players from highest to lowest degree of privilege. Whenever two players meet, they mutually and unambiguously recognize who is of higher status (and thus supposed to \textit{claim} the resource) and who is of lower status (and thus supposed to \textit{concede} that right to the other player). The higher (lower) one’s rank, the more often the action recommended by the coordination device is to claim (concede). Players are informed about their counterpart’s relative rank (higher or lower than oneself) but not of their counterpart’s absolute rank.

In addition to the two pure-strategy equilibria, of which one is always recommended by the coordination device, the game also has a Nash equilibrium in \textit{mixed strategies}. In this \textit{mixed equilibrium}, players ignore the recommendations of the coordination device; each player chooses her preferred action \textit{claim} with the large probability $\frac{h}{h+l}$ and the less attractive action \textit{concede} with the small probability $\frac{l}{h+l}$. In the mixed equilibrium, players only generate economic surplus in the rare occasion that a claiming player meets a conceding player. The mixed equilibrium is both individually and socially inefficient; its expected payoff is below $l$.\footnote{The probabilities of the different outcomes in the mixed equilibrium are: $P(\text{claim, claim}) = \frac{h^2}{(h+l)^2}$, $P(\text{claim, concede}) = \frac{hl}{(h+l)^2}$, $P(\text{concede, claim}) = \frac{hl}{(h+l)^2}$ and $P(\text{concede, concede}) = \frac{l^2}{(h+l)^2}$. Players earn zero payoffs whenever the outcome is $(\text{claim, claim})$ or $(\text{concede, concede})$, which happens with probability $\frac{h^2+l^2}{(h+l)^2}$. The mixed equilibrium thus yields an expected payoff of $\frac{hl}{h+l} < l$.} This mirrors a situation in which society is stuck in an anarchic state; each player tries to maximize her payoff under the expectation that
nobody respects the (potentially available) legal or social institutions.

3.2 Experimental Treatments

We implement $2 \times 2$ treatment variations of this general framework. We vary (a) whether overthrows – which reset the status order via collective disobedience – are possible or not, and (b) whether voluntary redistributive transfers – which high-status players can use to appease the low-status players – are available or not. Table 1 summarizes our four experimental treatments. In all treatments, players are fully informed about all the parameters and the choice structure of the experimental environment they participate in. For the experimental instructions, please refer to the Online Appendix OA2.

<table>
<thead>
<tr>
<th>treatment name</th>
<th>transfer option</th>
<th>overthrow mechanism</th>
</tr>
</thead>
<tbody>
<tr>
<td>baseline</td>
<td>-</td>
<td>-</td>
</tr>
<tr>
<td>overthrow</td>
<td>-</td>
<td>✓</td>
</tr>
<tr>
<td>transfer</td>
<td>✓</td>
<td>-</td>
</tr>
<tr>
<td>transfer-overthrow</td>
<td>✓</td>
<td>✓</td>
</tr>
</tbody>
</table>

Table 1: Experimental Treatments

**Baseline.** In the *baseline* treatment, participants are randomly matched into groups of $N = 6$ players. In each period, following a random matching protocol, players within a group are matched in pairs of two and play a BoS as described above. Thus, every period, there are three parallel matches, in which the matched players play a BoS. The actions of the players are color-coded; players claim by choosing *red*, and concede by choosing *blue*. We set $h = 10$ and $l = 1$ to closely mirror inequality in the real world. The parametrization and the actions are depicted in Figure 2.

```
<table>
<thead>
<tr>
<th>player 2</th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td>red</td>
<td>0,0</td>
</tr>
<tr>
<td>blue</td>
<td>10,1</td>
</tr>
</tbody>
</table>
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<table>
<thead>
<tr>
<th>player 1</th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td>red</td>
<td></td>
</tr>
<tr>
<td>blue</td>
<td></td>
</tr>
</tbody>
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Figure 2: Stage Game Parametrization

We implement the status order as follows: Before the beginning of the first period, every player in a group of six gets assigned a letter ($a, b, c, d, e$, or $f$) in a pre-game lottery. Every player has the same probability of receiving each letter and every letter gets assigned exactly once. When two players meet, one of the two (pure) stage-game equilibria is highlighted through bold lettering.

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5 The mean Gini coefficient of the European Union is .31 (Eurostat and World Bank 2020). In our experimental setup, the theoretical scenario in which (i) all players comply perfectly with the social order (i.e. follow the focal point) and (ii) zero transfers are given, yields a Gini of .32. In the US, inequality is more pronounced (Gini coefficient of .39).
Which of the two stage-game equilibria is highlighted, depends on whose player’s letter comes first in the alphabet. The player whose letter comes first, sees the action “red” in bold, the other player sees the action “blue” in bold. This is commonly known to all players. The exact letter of the other player is never revealed. In any given period, the probability that the advantageous equilibrium will be highlighted equals 1 for type \(a\), \(4/5\) for type \(b\), \(3/5\) for type \(c\), and so on. As we have a group of six players that are matched randomly and anonymously in each period without any possibility to communicate, we can rule out that players take turns in playing the more beneficial equilibrium. The random allotment of privilege in the status order mimics the role that exogenous attributes like descent, ethnicity, or gender, have played in historically shaping people’s access to resources, professions, and other rights and privileges (Elster 1992; Schotter and Sopher 2003; Moulin 2004). To this day, lifetime income (Bowles and Gintis 2002; Kahlenberg 2010; Chetty et al. 2014; Adermon, Lindahl, and Waldenström 2018) and political rights (Shachar 2009) are heavily influenced by pre-birth factors.

**Transfer.** Whereas in the baseline high-status players have only a rather limited action space, in the richer, redistributive environment of the transfer treatment, high-status players can, additionally, choose to share some of their wealth through a voluntary transfer mechanism. Directly after every stage game, players can make a transfer to the counterpart they just interacted with in that period. The transfer amount is constrained by the payoff generated through successful coordination in that very period, i.e. the player who earned 10 tokens in the stage game, can transfer between 0 and 10 tokens to the other player. This option to make voluntary transfers mirrors the wealth-sharing that takes place in modern societies and is organized through redistribution mechanisms, such as taxes and social benefits.

**Overthrow and Transfer-Overthrow.** In treatments overthrow and transfer-overthrow, we introduce an overthrow mechanism to the environments without and with a redistributive option, respectively. The mechanism functions as follows: If, in a given period, all three matched pairs of a given group fail to coordinate on a payoff-yielding equilibrium, then the current status ranking instantly expires, and is replaced by a new – randomly determined – ranking in the subsequent period. The new ranks remain valid until the next overthrow occurs.

Note that triggering the overthrow mechanism is onerous and costly. In expectations, the three lower ranks \((d, e, f)\) would improve their rank after an overthrow while the three higher ranks \((a, b, c)\) would drop in the status ladder. Consequently, the higher ranks have an interest in preventing an overthrow from happening. Even if the three lower-ranked players deliberately disobeyed the coordination device in order to trigger an overthrow, it still might take several periods until the

\[6\] Although we expect mainly the high earners to make use of transfers, we also allow for low earners to transfer (up to 1 token) in order to keep our design symmetric. As expected, the latter case almost never happens in the experiment.
overthrow is achieved. Due to the random matching of pairings in each period, only in 6 of the 15 possible constellations, each of the three lower ranks is matched with one of the three higher ranks (e.g., \(a\) with \(e\), and \(b\) with \(d\), and \(c\) with \(f\)). In the remaining 9 constellations, i.e. in 60% of all periods, there is always one pairing of high-status players that – by complying with the recommendation of the coordination device – can prevent an overthrow from happening (e.g. \(a\) paired with \(b\), or \(a\) with \(c\), or \(b\) with \(c\)). Successfully activating the overthrow mechanism thus requires persistence and the willingness to forfeit monetary payoffs, most likely repeatedly.

The overthrow mechanism mirrors social unrest and the eventual overthrow of the governing elites.\(^7\) In the real world, a single act of non-compliance with the status quo may be perceived as a signal of frustration by non-elites to elites, but it will not lead to an overthrow. This changes if non-compliance is collective and persistent. Withdrawal of popular support, typically paired with acts of protest, leads to an exchange of elites (for a classic reference, see de La Boétie 1577 who argued that even tyranny hinges on individual support; for modern examples, see Ackerman and Rodal 2008). How exactly the exchange of elites is achieved, will vary from case to case. There is a great variety in protesting behavior and uprisings (Goldstone 1982; Ackerman and Rodal 2008).\(^8\) It might be that a revolutionary mob violently replaces the incumbent elites, or that protests and strikes limit economic activity, or that a social movement pushes for elections or puts pressure on parliament to exchange government. In any case, a heavy investment in practices of resistance is typically needed for an overthrow to materialize. Our experimental design accounts for this stylized fact. Triggering the overthrow mechanism is onerous and inherently inefficient, as it requires players to collectively coordinate on disobeying the status quo. Such coordination takes place without explicit communication, but requires nonetheless a persistent group effort.\(^9\)

If the overthrow mechanism is triggered, players again have the same probability to receive a particular letter (\(a\), \(b\), \(c\), \(d\), \(e\), or \(f\)) as in the pre-game lottery. In the wake of an overthrow, players can find themselves in a more privileged position, or in a worse position. We thus mirror not only the investment that is necessary to achieve an overthrow but also the risk connected to its realization.

\(^7\) In fact, the baseline can be understood as modeling a regime so authoritarian that resistance is futile. We thank the editors for pointing this out.

\(^8\) Ackerman and Rodal (2008, p. 111) lay out the possible variance of protesting non-compliance: “Civilians have used disruptive actions as sanctions, to challenge and delegitimate rulers, mobilize public, constrain authoritarians’ power and undermine their sources of support and shift their loyalties. Petitions, marches, walkouts and demonstrations have been used to rouse public support and mobilization. Forms of non-cooperation such as strikes, boycotts, resignations and civil disobedience have served to frustrate the operations of governments. Direct intervention such as blockades, factory occupations and sit-ins have thwarted rulers’ ability to subjugate their people. The sequenced, sustained application of these nonviolent operations has engendered historical results: tyrants have capitulated, governments collapsed, occupying armies retreated and political systems that denied human rights been delegitimated and dismantled.”

\(^9\) Note that in the real world, it would also be possible to free-ride on the revolutionary efforts of other members of a society. In our experiment, such free-riding is only possible in a weak sense. Players are informed of occurring mis coordinations which could be interpreted as a signal that an overthrow is more likely. While it is possible to free-ride on the provision of such a signal, it is not possible to free-ride on the actual overthrow, as the latter requires that all pairings within a group miscoordinate in the same period.
Note that an overthrow (as we model it) does not change the basic structure of the social order.\textsuperscript{10} After an overthrow, the players may find themselves in different roles, but the roles per se remain the same. Keeping the structure of the social order constant, allows us to distill the pure effect of an overthrow threat.

3.3 Procedures

Every subject participated in exactly one experimental treatment (between-subjects design). Each group of six individuals played a total of at least 50 periods. After period 50, the continuation probability dropped to 75\%, i.e. each period above 50 had an expected time horizon of 3 additional periods.\textsuperscript{11} All periods were payoff relevant. In the data analysis, we use the first (guaranteed) 50 periods for each individual.\textsuperscript{12}

After each period, players received information about the outcomes of all encounters in their group. In the transfer and transfer-overthrow treatments players then decided on a transfer, and finally received the list of total payoffs. In case the overthrow mechanism was triggered, players were informed of their new status rank, just before proceeding to a new period.

The instructions were handed out in print to the subjects (see the Online Appendix OA2) and read aloud, before the experiment started. To ensure full understanding, subjects had to pass extensive control questions. We implemented the experiment with as little contextual information as possible. While contextualization of decisions can be useful in experiments (Alekseev, Charness, and Gneezy 2017), decontextualization allows for better experimental control (Smith 1976, p. 278; on limitations, see Engel and Rand 2014). This is of particular importance in relation to experiments on social institutions, where experimental subjects are likely to have rich preconceptions that may affect their choices (McAdams 2015, p. 63).\textsuperscript{13}

After the game ended, we elicited participants’ (a) other-regarding preferences (Liebrand and McClintock 1988) and (b) risk and trust attitudes as commonly elicited in the German Socioeconomic Panel (SOEP) as well as (c) some socio-demographics (age, gender, number of siblings). For more details on the post-experimental tests, see the Online Appendix OA3.

The present paper builds on our previous work. For the treatments baseline and transfer, we report data from Chatziathanasiou, Hippel, and Kurschilgen (2021). Data for overthrow and transfer-overthrow is being reported for the first time. All data was collected in one wave in April 2016. The experiment was conducted at the BonnEconLab of the University of Bonn, Germany, and computerized using

\textsuperscript{10} This is a deviation from the real world, where social movements (and revolutions) have indeed transformed the social order (Ackerman and Rodal 2008; Stephan and Chenoweth 2008; Roberts and Garton Ash 2009; Chenoweth, Stephan, and Stephan 2011).
\textsuperscript{11} 0.75 + 0.75^2 + 0.75^3 + 0.75^4 + 0.75^5 + \ldots = 3.
\textsuperscript{12} This procedure closely follows the protocol of Camera and Casari (2009).
\textsuperscript{13} Preconceptions about law and legitimacy can themselves be a matter of experimental investigation (see, e.g., Engel and Kurschilgen 2013; Chilton 2014). However, in this experiment, for achieving higher levels of control and generality, we deliberately avoid invoking subjects’ perceptions of existing institutions.
the software z-Tree (Fischbacher 2007). From a database of more than 5000 people, we recruited 378 subjects using hroot (Bock, Baetge, and Nicklisch 2014). Subjects were mainly undergraduate students from a variety of disciplines. Subjects sat in visually completely isolated cubicles. Sessions lasted about 90 minutes and subjects earned on average 16.47 € (about 19.38 $), including a show-up fee of 4 €. During the experiment, payoffs where presented in experimental currency units (ECU), with a known exchange rate of ECU 25 = 1 €.

4 Hypotheses

In order to induce more wealth-sharing from elites to non-elites, the threat of overthrow has to satisfy two conditions. First, the threat needs to be credible, i.e. the overthrow needs to have a high chance of materializing if not actively prevented. Second, the elites need to adapt to the threat, i.e. they have to do what is necessary to prevent the overthrow from happening.

Credible Threat. The threat of overthrow can be considered credible if the introduction of the overthrow mechanism comes with a substantial increase in miscoordination, and thus with a high likelihood of an actual overthrow being triggered. The main reason for expecting an increase in miscoordination is the changed incentive structure for the low-status players when overthrows are possible. For low-status players, the expected payoff after a reallotment of ranks is (weakly) higher than the expected payoff without reallocation.

For a given period, the expected payoff of every rank depends on the probability to meet a lower-ranked or higher-ranked player, and on that player’s propensity to comply with the social order, i.e. to follow the coordination device. For rank $a$ the probability to meet a lower-ranked player and achieve the high payoff of $h = 10$ is 100%. Denoting the probability that the other player follows the coordination device by $\lambda \in [0,1]$, player $a$ expects a payoff of $10\lambda$ tokens in a given period. Similarly, the payoffs of the other ranks are $8.2\lambda$ for player $b$, $6.4\lambda$ for player $c$, $4.6\lambda$ for player $d$, $2.8\lambda$ for player $e$, and $1\lambda$ for the lowest-rank player $f$. The average rank has expected payoffs of $5.5\lambda$ tokens. If an overthrow occurs and ranks are reset, every player has the same probability to be allotted a certain rank. In expectations, each player becomes an average rank after the reset. From the perspective of ranks $d$, $e$ and $f$, becoming an average rank (who earns $5.5\lambda$ in a given period) is more attractive than conserving their current rank. When overthrows are possible, the lower ranks have an incentive to trigger an overthrow, by avoiding coordination on the Nash equilibrium recommended

---

14 96 subjects in the treatments baseline, transfer and overthrow, respectively, and 90 subjects in transfer-overthrow. Over 50 periods, we thus have a total of 4800 (or 4500) observations per treatment, clustered in 16 (or 15) statistically independent groups per treatment.

15 The general formula for the expected payoff in one period given coordination according to the device is: 
$$ \frac{n-1}{N-1} 1\lambda + \frac{N-n}{N-1} 0\lambda $$
with $N$ being the number of players in the society and $n$ being the numerical rank of a player, i.e. $n=1$ for rank $a$, $n=2$ for rank $b$, etc.
by the coordination device.

Potentially, players’ risk aversion could mitigate this incentive to miscoordinate. Even for the low-status players there are risks connected to an overthrow. While the low-status players earn at least some small amounts when following the coordination device, these gains might be lost if society slides into an anarchic state. In particular, other players’ propensity to follow the coordination device ($\lambda$) may drop in the wake of an overthrow, which would reduce the expected payoff after an overthrow and thus its appeal. The erosion of players’ willingness to follow the device could eventually lead to the highly unattractive mixed equilibrium, in which all players ignore the recommendations of the coordination device and have expected payoffs of $\frac{10}{11}$ tokens. But as long as risk aversion does not completely nullify the miscoordination incentive (which is unlikely), the possibility of overthrow should decrease lower-ranks’ willingness to follow the coordination device.

**Hypothesis 1.** In the absence of transfer opportunities, the possibility of overthrow will lead to an increase in miscoordination.

**Adaptation of Elites.** Historical research across the social sciences has suggested that elites engage in strategic wealth-sharing in order to preserve their privileges. Underlying this ‘threat of revolution hypothesis’ is the behavioral conjecture that elites adapt to the threat of being overthrown. In view of a credible overthrow threat, the elites in our experiment have more to lose. In the presence of transfer opportunities, they could adapt to this threat by displaying a higher willingness to redistribute economic surplus to lower ranks. Voluntary transfers have a soothing function, as they reduce the gap between the payoffs of low-status players and high-status players (Chatziathanasiou, Hippel, and Kurschilgen 2021). From a theoretical perspective, voluntary redistribution can be understood as a way of honoring a tacit social contract (Binmore 1998). In exchange for appropriate compensation, low-status players accept the status quo and concede privilege to whomever has higher status. If, however, high-status players do not make sufficient transfers, low-status players now have an indirect punishment tool at their disposal as they can now overthrow the current high-status players. This should discipline high-status players and motivate them to make higher transfers. Such behavior would be in line with the ‘threat of revolution hypothesis’.

**Hypothesis 2.** In the presence of transfer opportunities, the possibility of overthrow will lead to an increase in redistributive transfers.

## 5 Results

We first report treatment differences on the incidence of overthrow events, and then look into transfer behavior and payoff implications. Subsequently, we zoom into the transfer-overthrow treatment and

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16 See Sections 1 and 2.
examine the behavior of high-status players in the face of potential overthrow in order to understand why certain groups manage to stabilize while others do not.17

Figure 3: Incidence of Overthrow Events

**Overthrow Events.** Figure 3 shows the number and distribution of overthrow events across treatments. We denote as *overthrow event* a situation in which all matched pairs fail to coordinate on a payoff-yielding equilibrium in a given period. As noted in Section 3, the miscoordination of all three pairings triggered an overthrow of the prevailing status ranking in treatments *overthrow* and *transfer-overthrow* whereas for *baseline* and *transfer* the overthrow event is purely theoretical.

In the absence of transfer opportunities, overthrow events are rather frequent. In *baseline*, only 19% of all groups never experience an overthrow event. The mere possibility of overthrow makes overthrow events, i.e. full miscoordination in a given period, even more likely (p = 0.073). In the *overthrow* treatment there is not a single group that never experiences an overthrow. Put differently, in the absence of transfers, the probability that a group experiences at least one overthrow, and thus has its status order reset, equals 100%. The threat of overthrow is credible and the first condition for a disciplining effect is fulfilled, yielding support for Hypothesis 1:

**Result 1.** *In the absence of redistribution, overthrows occur in all groups.*

In principle, appropriate redistributive transfers could prevent overthrows from happening. And indeed, over the course of 50 periods the average group experiences 8.8 (theoretical) overthrow events in *baseline* but only 1.6 (theoretical) overthrow events in *transfer* (p < 0.001). Similarly, the average number of (real) overthrows drops from 10.9 in *overthrow* to 3.1 in *transfer-overthrow* (p < 0.001).

17 Unless stated differently, for comparisons between treatments we report two-sided Wilcoxon rank-sum tests over group-level means. Summary statistics for all figures can be found in the Online Appendix OA1.
Even in the presence of transfer opportunities overthrow events become more likely when the threat of overthrow is real. Whereas in transfer, the share of groups that never experience a single overthrow event is 63%, in transfer-overthrow this share drops to merely 7% (p < 0.001). Put differently, in 93% of groups in transfer-overthrow the initial high ranks were unable to sustain the status order and consequently lost their high status.

**Figure 4: Transfers**

Transfers and Payoff Implications. As stated in Section 4, the second condition for a disciplining effect requires high status players to adapt to the threat of being overthrown. Figure 4 shows mean transfers over time (left panel) and cumulative distributions of mean transfers given by each individual (right panel).

According to the ‘threat of revolution hypothesis’, high status players should react to the possibility of overthrow by increasing their transfer levels in order to appease the low ranks and prevent overthrows from happening. But the level of transfers in transfer (2.0) and transfer-overthrow (2.1) is virtually identical (p = 0.843). Thus, we find no support for Hypothesis 2 and note:

**Result 2.** The threat of overthrow does not increase high-status players’ willingness to make redistributive transfers.

Figure 5 compares the development of mean payoffs (after transfers) over time in all treatments. We distinguish between players who were allotted a high rank \((a, b, c)\) at the beginning of the game, and those who were initially allotted a low rank \((d, e, f)\). In the absence of transfer opportunities, the overthrow mechanism acts as an equalizer, leveling the differences in payoffs among the players. Initial lower ranks earn significantly more in overthrow than in baseline \((p = 0.006)\) whereas initial upper ranks earn significantly less \((p = 0.004)\). The Gini coefficient drops significantly from .30 in baseline to .18 in overthrow \((p < 0.001)\).

\(^{18}\) Average payoffs over all ranks do not follow a noticeable time trend, see Figure OA1.
The overthrow mechanism still acts as an equalizer in the presence of transfer opportunities. Despite the fact that, in principle, voluntary transfers would be a more efficient substitute for that purpose. The Gini coefficient drops from .18 in transfer to .15 in transfer-overthrow (p = 0.058). Underscoring the inefficiency, the substantial payoff drop of the initial upper ranks from 4.6 in transfer to 3.6 in transfer-overthrow (p = 0.010) is not matched by a payoff increase of the initial lower ranks (p = 0.441). As illustrated in the right-hand panel of Figure 5, the payoffs of the initial upper ranks start off at a similar level (around 4.0) in both transfer treatments but then diverge over time. While they increase to about 4.9 in transfer as coordination improves, they decrease to about 3.4 in transfer-overthrow as overthrows occur and initial high ranks lose their privileged position.

**Stable vs. Unstable Groups.** When overthrows occur, high status players lose their status as ranks are reset, and experience a substantial drop in earnings. Almost all groups in overthrow and transfer-overthrow experience (one or more) overthrow in the first half of the game (see Figure OA2). In the absence of transfers, all groups continue to experience overthrow events, i.e. full miscoordination in a given period, throughout the game. But in the presence of transfer opportunities, some groups become perfectly stable in the second half of the game. Figure 6 shows the distribution of the period in which an overthrow event occurs for the last time in a given group. In the following, we explore the differences between the 6 groups from transfer-overthrow that do not experience an overthrow after period 25 (stable groups) and the 9 groups that experience one or more overthrows after period 25 (unstable groups).

What distinguishes stable groups from unstable groups in the transfer-overthrow treatment? Two plausible mechanisms come to mind. On the one hand, stable groups could simply be the result

19 For comparisons between stable and unstable groups we report two-sided Wilcoxon rank-sum tests over individual-level means.
of successful observational learning from the mistakes of earlier high-ranks. Initial low ranks may observe that transfers of the initial high ranks are too low to prevent overthrows. When eventually put into a high-status position in the aftermath of an overthrow, those players start making more generous transfers for *strategic* reasons, i.e. in order to preserve their status. On the other hand, the stable groups may just benefit from the fact that overthrowes put, eventually, more *intrinsically* generous players into high-status positions.

To shed light into the mechanism, we take advantage of the fact that (a) the group formation, (b) the allotment (and reallocation) of ranks within a group, and (c) the pairing of players in a given period were exogenous. In addition, our design allows us to not only observe the generosity of high ranks \((a, b, c)\) but also of low ranks \((d, e, f)\). Whenever a player earned 10 tokens in the stage game, she could transfer up to 10 tokens to the other player. The lower a player’s rank, the less frequently she earned 10 (because she was usually matched with higher-ranked players), but from time to time lower ranks did earn 10, and could thus display their generosity.

Figure 7 shows mean transfers over time, distinguishing between the 6 groups that were stable (i.e. experienced no overthrow in periods 26-50) and the 9 unstable groups in the second half of the game, and between players who were high ranks or low ranks at the beginning of the second half (i.e. in period 26). For the lower ranks, there are no systematic differences. But for the upper ranks, there are two important differences. First, in the second half of the game, the high ranks of the stable groups are significantly \((p = 0.022)\) more generous (transferring on average 2.5 tokens) than the high ranks of unstable groups (1.4 tokens). Stability thus emerges in groups with systematically higher levels of redistribution. Second, the high-status players of the stable groups did not learn to become more generous by observing the failure of the initial high ranks. Rather, they were already more generous *before* they became high-status players. In the first half of the game, the later-to-be high-
status players of the stable groups transfer on average 2.7 tokens whereas the later-to-be high-status players of the unstable groups transfer on average 1.8 tokens (p = 0.039).

These findings are confirmed by regression analysis. Column 1 of Table 2 shows that the probability of a group becoming stable in the second half of the game increases by 10.3 percentage points (p = 0.030) when a player who is of high status in period 26 gave on average 1 token more in the first half of the game. Column 2 shows that a player’s generosity early in the game predicts her generosity late in the game. A player who gives 1 token more in the first half gives, on average, .755 tokens more in the second half (p < 0.001). Column 3 shows that generosity is mainly associated with higher levels of individual trust towards strangers (p = 0.058) measured in the post-experimental tests. Indeed, trust has been shown to be a critical ingredient of economic development (Algan and Cahuc 2010; Bigoni et al. 2016) and the stability of institutions (Alesina and Giuliano 2015).

Result 3. The new elites do not learn from the mistakes of the old elites. Stability emerges when intrinsically generous players are (accidentally) allotted high-status positions.

Who benefits from stability? Figure 8 shows average payoffs over time, distinguishing between stable and unstable groups, and between players who were high ranks and players who were low ranks at the beginning of the second half (i.e. in period 26). We find that, unsurprisingly, being in a stable group is beneficial for the lower ranks as they receive higher transfers. In periods 26-50, low-status players in the stable groups have significantly higher earnings (unstable 2.7; stable 3.4; p = 0.046). Strikingly, however, being generous pays off for the high-status players, too. By sharing a larger part of their wealth through voluntary redistribution, the high ranks of stable groups not only manage to sustain their status, they actually end up earning significantly more than the high rank players in the unstable groups. In periods 26-50, the mean payoff for high-status players in a stable group is 5.0, compared to 3.3 in an unstable group (p < 0.001).
### Table 2: Determinants of Stable Groups

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<th>(2)</th>
<th>(3)</th>
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<td>first-half transfers</td>
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<td>0.755*** 1.511* 2.431***</td>
<td>0.0129</td>
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<td></td>
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<tr>
<td>Constant</td>
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<td>0.184</td>
<td>2.431***</td>
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<tr>
<td>$R^2$</td>
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<td></td>
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Column (1) shows marginal effects of probit regressions. Columns (2) and (3) show coefficients of OLS regressions. Cluster-robust standard errors in parentheses. *$p < 0.1$, **$p < 0.05$, ***$p < 0.01$.

**Result 4.** High status players’ generosity leads to stability and higher payoffs both for low-status and for high-status players.

![Figure 8: Stability and Payoffs](image)

6 Discussion and Outlook

Despite being credible, the threat of overthrow did, on average, not have a disciplining effect on the elites. In most experimental groups, high-status players did not adapt their transfer behavior to
the threat of overthrow. As a result, overthrows happened and the initial elites lost their privileged position. However, in the second half of the game some groups stabilized and prospered. In these groups, the overthrow mechanism brought – eventually, through the reshuffling of ranks – players into high-status positions who were intrinsically generous. The price of stability was not too high for those generous high ranks. To the contrary, they earned significantly more than the (less generous) high ranks of the unstable groups.

In our experiment, elites are more myopic than the ‘threat of revolution hypothesis’ suggests. This resonates with the historical observation that ruling elites, particularly in authoritarian regimes, tend to be overconfident (Goldstone 2001, p. 162). Of course, stylized laboratory experiments do not fully map the rich context of the real world. They provide a complement to studies with observational data by allowing to model social phenomena and test behavioral theories (Schmidt 2009; Falk and Heckman 2009; in the context of institutions, see Camerer and Talley; Engel 2013). While concerns over external validity (Voigt 2011, p. 247) call for a discussion of experimental results, these concerns pose no general argument against experiments. A solid body of research has documented that experimental choices have predictive power for the real world (Rustagi, Engel, and Kosfeld 2010; Sausgruber and Tyran 2011; Esarey, Salmon, and Barrilleaux 2012; Durante, Putterman, and van der Weele 2014; Kosfeld and Rustagi 2015). Revealed preferences for redistribution elicited in the laboratory are largely in line with observational field data (Fong 2001; Alesina and Angeletos 2005; Alesina and Giuliano 2011). This holds not only for the general population but also for the economic elite (Cohn et al. 2019). In a recent study in Switzerland, laboratory behavior has been shown to predict individuals’ support for redistributive policies in national plebiscites (Epper, Fehr, and Senn 2020). Therefore, we are confident that our results, while not disproving the ‘threat of revolution hypothesis’ historically, have predictive power for the real world and challenge the notion that elites engage in strategic wealth-sharing.

Further, while we did not find that the threat of overthrow disciplines the elites, we found that overthrow mechanisms function as a selection mechanism. In the experimental groups that ended up being stable and prosperous, elites where exchanged via the overthrow mechanism until eventually, generous players were thrust into high-status positions. In the real world, old elites can resort to authoritative means to prevent such change. In our experiment, this was excluded by design. On the one hand, this only underlines the myopia of the old elites. In a setting with no coercive means, elites should be even more sensitive to the threat of overthrow. On the other hand, the finding that absent coercion – overthrow functions as a screening device resonates with real world experiences. Tunisia is the only case among the countries of the Arab Spring that so far has been considered a success (Willis 2016; Roberts 2016). Here, recurring protests continued even after the ousting of former President Ben Ali and subsequent governments agreed to peaceful transitions of power.20

20 In 2015, the reform-oriented negotiation parties were awarded the Nobel Peace Prize (The Norwegian Nobel Committee
Arguably, the recurring protests functioned as a screening device that influenced the composition of subsequent governments, until a reform-oriented constellation was found.\textsuperscript{21}

Our finding of elite myopia also has implications for the debate on inequality and constitutionalism. Our results suggest that it might not be enough to rely on elite’s goodwill to form equitable and thus robust institutions. Given the lack of political responsiveness to the demands of the economically disadvantaged (Gilens 2012), the establishment of social rights has been proposed as a means to restrain elite behavior more strongly (Young 2012; Peters 2018; Moyn 2018). If effective (on doubts, see Chilton and Versteeg 2017), such guarantees might lead to more robust institutions by incentivizing citizens to protect the constitution against transgressions.

Finally, further research should look into constitutional provisions that help or hinder coordination on collective disobedience. Rights to resistance, for instance, have been understood to help stabilize a constitution by reminding the people of their collective power to constrain the rulers (Ginsburg, Lansberg-Rodriguez, and Versteeg 2012; Pilipidis 2015; Gutmann and Voigt 2021). Their inclusion in a constitutional document functions as a precommitment device which is supposed to discipline the governing elites (Ginsburg, Lansberg-Rodriguez, and Versteeg 2012, p. 1184). However, this understanding rests on the conjecture that the threat of overthrow does indeed have a disciplining effect – a conjecture that did not hold in our experimental setting. Yet, rights to resistance might facilitate the behavior of the ‘protesting’ non-elites, allowing them to put protesting behavior and overthrow threats to socially beneficial use.

\textsuperscript{21} Of course, the case of Tunisia can again be qualified as special. A nuanced description of the case points to an “attachment to values of procedure, process, and forms of legality [...] that marks out Tunisia and explains the success of forms of civil resistance” (Willis 2016, p. 52).


Epper, Thomas, Ernst Fehr, and Julien Senn. 2020. “Other-regarding preferences and redistributive politics.” *mimeo*.


Online Appendix OA1  Additional Results and Summary Statistics

Figure OA1 depicts the means of payoffs (after transfers) over time. They do not follow a notable time trend.

![Figure OA1: Payoffs over Time](image)

Figure OA1: Payoffs over Time

Figure OA2 shows the distribution of the period when an overthrow event occurs for the first time across treatments. It thus shows how long the initial social order holds up. Almost all groups experience overthrows in the first half of the game.

![Figure OA2: Period of First Overthrow Event](image)

Figure OA2: Period of First Overthrow Event
<table>
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<th>transfer-overthrow</th>
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<td>(5.97)</td>
<td>(4.30)</td>
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</tr>
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Table OA1: Summary Statistics

Group-level means. For average period of first overthrow event and period of last overthrow event, we assume groups that never experience an overthrow to experience their first overthrow in period 51. Standard deviations in parentheses.
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Table OA2: Summary Statistics for Stability and Transfers

Mean transfers at individual-level. First half of the game are periods 1–25, second half are periods 26–50. Standard deviations in parentheses. 6 of 15 groups in transfer-overthrow are stable (i.e. no overthrow after period 25).
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<tbody>
<tr>
<td></td>
<td>unstable groups</td>
<td>stable groups</td>
</tr>
<tr>
<td>payoffs (after transfers)</td>
<td>3.69</td>
<td>3.08</td>
</tr>
<tr>
<td></td>
<td>(1.55)</td>
<td>(.84)</td>
</tr>
<tr>
<td>lower ranks (in period 26)</td>
<td>2.79</td>
<td>2.73</td>
</tr>
<tr>
<td></td>
<td>(.97)</td>
<td>(.78)</td>
</tr>
<tr>
<td>upper ranks (in period 26)</td>
<td>4.59</td>
<td>3.44</td>
</tr>
<tr>
<td></td>
<td>(1.50)</td>
<td>(.75)</td>
</tr>
<tr>
<td>first-half payoffs (after transfers)</td>
<td>3.61</td>
<td>3.19</td>
</tr>
<tr>
<td></td>
<td>(1.66)</td>
<td>(1.17)</td>
</tr>
<tr>
<td>lower ranks (in period 26)</td>
<td>2.72</td>
<td>2.8</td>
</tr>
<tr>
<td></td>
<td>(1.16)</td>
<td>(1.07)</td>
</tr>
<tr>
<td>upper ranks (in period 26)</td>
<td>4.50</td>
<td>3.57</td>
</tr>
<tr>
<td></td>
<td>(1.62)</td>
<td>(1.16)</td>
</tr>
<tr>
<td>second-half payoffs (after transfers)</td>
<td>3.77</td>
<td>2.98</td>
</tr>
<tr>
<td></td>
<td>(1.65)</td>
<td>(1.08)</td>
</tr>
<tr>
<td>lower ranks (in period 26)</td>
<td>2.87</td>
<td>2.66</td>
</tr>
<tr>
<td></td>
<td>(1.08)</td>
<td>(.96)</td>
</tr>
<tr>
<td>upper ranks (in period 26)</td>
<td>4.68</td>
<td>3.31</td>
</tr>
<tr>
<td></td>
<td>(1.63)</td>
<td>(1.12)</td>
</tr>
</tbody>
</table>

Table OA3: Summary Statistics for Stability and Payoffs

Mean payoffs (after transfer) at individual-level. First half of the game are periods 1–25, second half are periods 26–50.

Standard deviations in parentheses. 6 of 15 groups in transfer-overthrow are stable (i.e. no overthrow after period 25).
Online Appendix OA2 Instructions

Note: The text below shows the instructions for the baseline treatment, on which all other treatments build. The additional text in blue was included in the instructions for the overthrow as well as the overthrow-transfer treatment. The additional text in red was included in the instructions for the transfer as well as the overthrow-transfer treatment. Instructions displayed here are a translation into English. Original instructions were in German and are available from the authors upon request.

Welcome to our experiment!

If you read the following instructions carefully, you can earn a substantial sum of money, depending on your decisions. It is therefore very important that you read these instructions carefully.

Absolutely no communication with the other participants is allowed during the experiment. Anyone disobeying this rule will be excluded from the experiment and all payments. Should you have any questions, please raise your hand. We will then come to you.

During the experiment, we will speak not of Euros, but of points. Your entire income will therefore initially be calculated in points. The total number of points accumulated by you during the experiment will be paid out to you in Euros at the end, at a rate of:

\[ 25 \text{ points} = 1 \text{ Euro}. \]

At the end of the experiment, you will be paid, in cash, the number of points you will have earned during the experiment. In addition to this sum, you will receive payment of 4 Euro for showing up at this experiment.

The experiment consists of at least 50 periods.

After period 50, a draw will decide in each period whether there shall be a further period. With a probability of 75%, there will be a period 51. Should there be a period 51, there will be a period 52 as well, once again with a probability of 75%, etc.

At the beginning of the experiment, participants will be randomly divided into groups of six. Apart from you, your group will therefore be made up of another 5 members. The constellation of your group of six will remain unchanged throughout the entire experiment.

\[ ^1 \text{We thank Brian Cooper (MPI Bonn) for the translation.} \]
Also at the beginning of the experiment, the computer will name the participants of each group of six, assigning to each a randomly drawn letter (a, b, c, d, e, or f). Each participant in the group is equally likely to receive a particular letter (a, b, c, d, e, f). Each letter is distributed once in each group of six.

In each period, you will interact with exactly one of the other participants from your group. The computer will randomly determine at the beginning of each period who that other player is. The other 4 participants in your group of six will each also be randomly matched with another participant from the group. In total, there will hence be three parallel encounters in your group in each period.

In each period, your task is to choose one of two decision fields:

How many points you earn in a period depends on your decision as well as on the decision of the participant with whom you are interacting.

- If you choose “Red” and the other participant chooses “Blue”, you will earn 10 points, and the other participant will earn 1 point.

- If you choose “Blue” and the other participant chooses “Red”, you will earn 1 point, and the other participant will earn 10 points.

- If both participants choose “Red”, you will both earn 0 points.

- If both participants choose “Blue”, you will both earn 0 points.

In each period, one of these fields will be in bold:
Whenever you see the field “Red” in bold, the other participant sees the field “Blue” in bold, and vice versa. You are free to decide whether you wish to follow the marking or not.

The computer decides on the basis of your letter which field is in bold. Whichever participant’s letter comes first in the alphabet sees the field “Red” in bold. If, for example, the computer assigned you the letter c at the beginning of the experiment, and you interact with participant d, e, or f, you will see “Red” in bold. If you interact with participant a or b, however, you will see “Blue” in bold.

For example, if you were assigned the letter a at the start, “Red” will be in bold in all periods. If you are participant f, “Blue” will always be in bold, etc.

Only once both participants have made their decisions will you find out what the other participant has chosen.

At the end of each period, your computer screen will give you an overview of:

- which field you have opted for;
- which field the other participant has chosen;
- the income you and the other participant have each earned in this period;
- how the participants of the other encounters have chosen.

Further, you have the chance to transfer to the other participant any part of your income from the current period. To do this, enter on your screen the number of points you wish to transfer to the other participant, and confirm your entry by clicking “Continue”. You are free to decide whether or not you wish to transfer points and, if you do, how many points you wish to donate.

In addition, your computer screen will give you an overview of:

- the number of points transferred by you to the other participant;
• the number of points the other participant has transferred to you;

• the income you have earned in this period, after transfers;

• the total income you have made up to now;

• the total income each of the other participants in your group of six has made so far.

At the end of each period, the letters that were randomly allotted at the beginning of the experiment (a, b, c, d, e, f) can be allotted anew by the computer. As in the beginning, every participant has the same probability of receiving a specific letter (a, b, c, d, e, f). This probability is independent from the letter that he had so far.

This reallocation takes place, if in all three matches within your group of six both participants choose the same color. For instance, if in all three matches both participants choose “Red”. Or, for instance, if in two matches both choose “Red” and in the other match both choose “Blue”.

In the next period, you will once again be randomly matched with one other participant from your group of six, with whom you will then interact.

Do you have any questions? If yes, please raise your hand. We will come to you.
Online Appendix OA3  Post-Experimental Tests

Other-regarding preferences. Other-regarding preferences were measured using the social value orientation (SVO) ring measure (Liebrand and McClintock 1988). The ring measure consists of 15 modified dictator games in which players allocate money between themselves and another player. Players are characterized on a continuous type space ranging from competitiveness and individualism to prosociality and altruism. To make the Social Value Orientation (SVO) comparable to the other scales, we divide the ring degree by 45, such that 0 describes a perfectly selfish (0 degree) individual, and 1 a perfectly pro-social (45 degree) individual.

Risk. The risk elicitation consisted of 1 general risk question and 6 domain-specific questions. The general question read: “Are you, generally speaking, a person willing to take risks or do you rather try to avoid risks?” The domain-specific questions read: “How would you rate your willingness to take risks in the following domains...(i) when driving a car, (ii) in financial investments, (iii) in leisure and sports, (iv) in your career, (v) concerning your health, (vi) when trusting unfamiliar people?”. There are 10 answer options ranging from not at all willing to take risks to very willing to take risks. We use the arithmetic mean over the 7 questions as our measure of an individual’s risk attitude.

Trust. The trust questions read: “Please rate the following three statements: (i) Generally, people can be trusted. (ii) Nowadays you cannot trust anybody. (iii) When dealing with strangers it’s better to be careful before trusting them.” The answer options are: fully agree, rather agree, rather disagree, fully disagree. The composite trust measure is the arithmetic mean of the three question whereby the first is coded negatively and the other two positively.